

Predicting Disease Complications

Using a Stepwise Hidden Variable Approach For Learning Dynamic Bayesian Networks



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Type 2 Diabetes

what people see

high blood
sugar

what people don't see

blindness
blurred vision
boils
cataracts
depression
erectile dysfunction
foot ulcers
frequent urination
glaucoma

intense fatigue
intense hunger
intense thirst
itchiness
kidney disease
numbness
pain
sexual dysfunction
skin infections

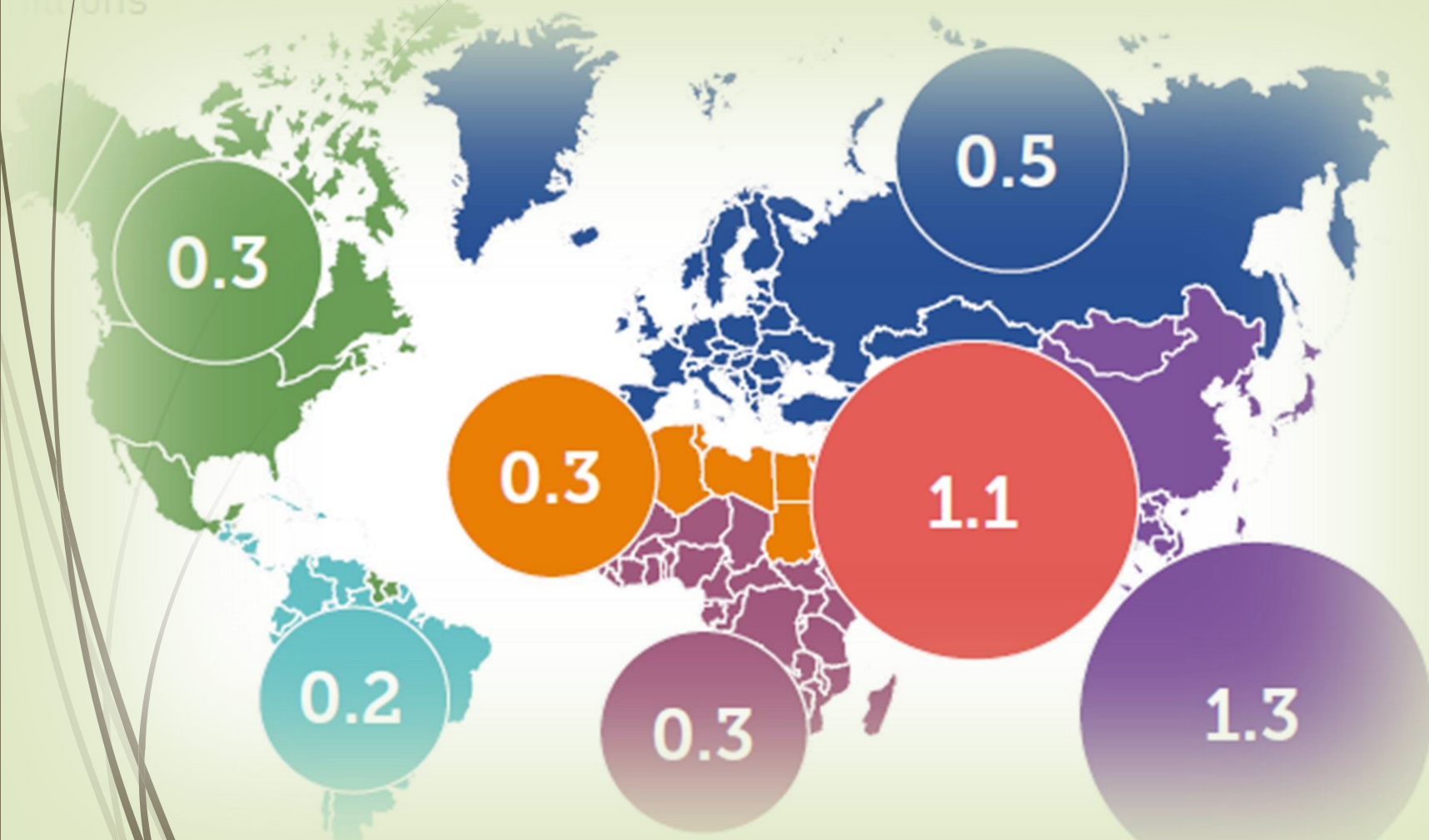
Outline

- ❑ Motivation
- ❑ Data
- ❑ Problem
- ❑ Solution
- ❑ Dynamic Bayesian Networks (DBNs)
- ❑ Hidden variable discovery approach
 - ❑ Pair sampling and Stepwise approach procedure
- ❑ Results
- ❑ Conclusions and future works

Type 2 Diabetes Mellitus (T2DM)



Number of deaths due to diabetes (20-79 years) in 2017
in millions

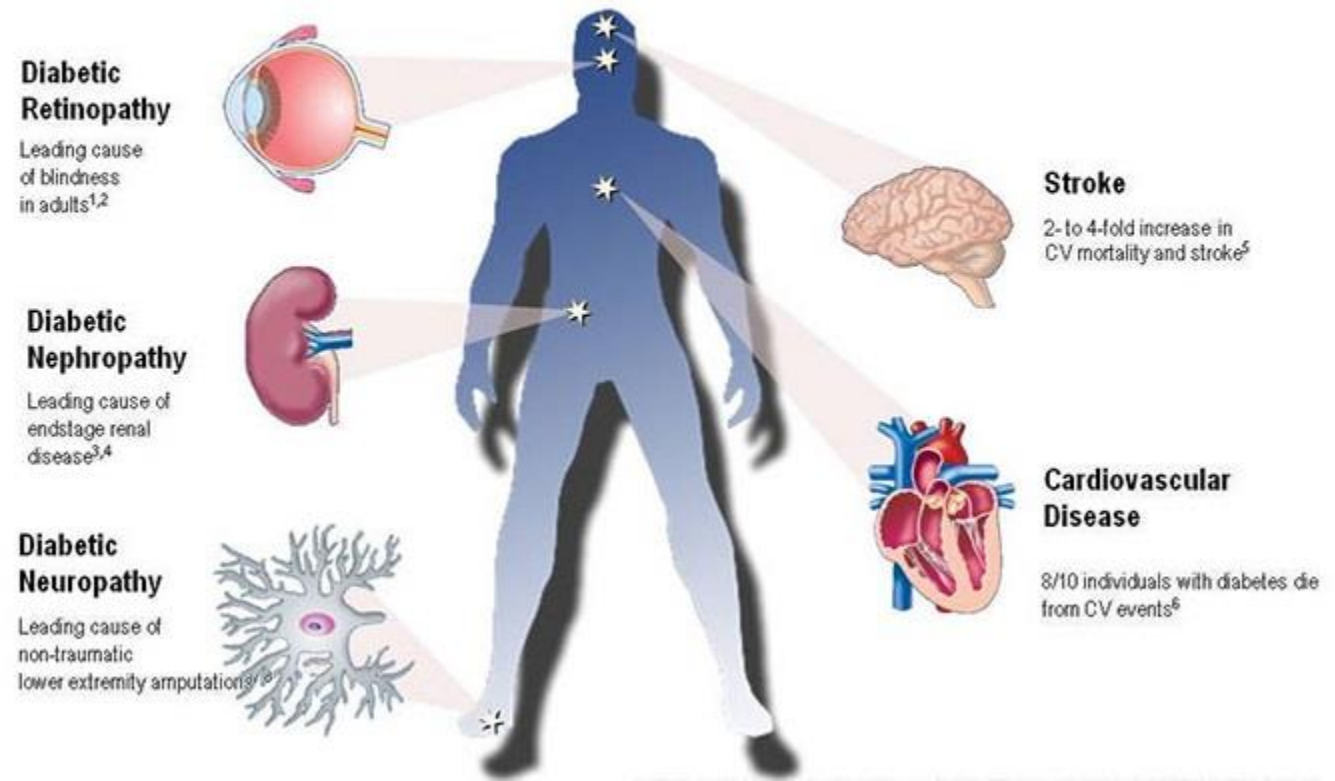


Mortality due to diabetes age 20-79 in 2017 (in millions)

The Data at Maugeri, Pavia:

- Type 2 Diabetes Mellitus (T2DM)
- Patients aged 25 to 65 years.
- 2009 and 2013.
- IRCCS Istituti Clinici Scientifici Maugeri of Pavia, Italy.
- MOSAIC project funded by the European Commission.
- T2DM risk factors:
 - Physical examination
 - Laboratory data
- MATLAB and Bayes Net toolbox (murphy,2001)
- Visualization we used Graphviz.

Diabetes is a lifelong condition associated with serious complications

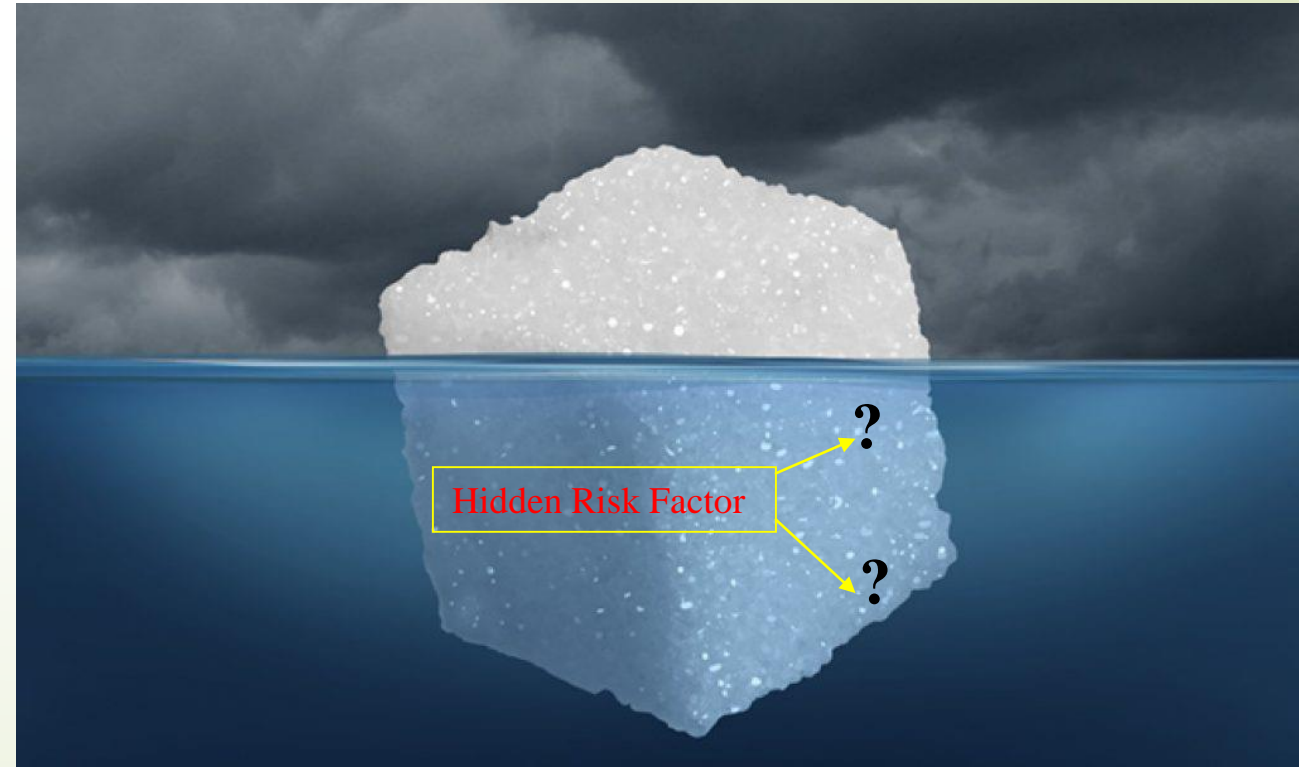


T2DM Data

Visit NO	Patient ID	HbA1c	Retinopathy	Neuropathy	Nephropathy	Liver disease	Hypertension	BMI	Creatinine	Cholestrol	HDL	DBP	SBP	SMK
1	885	0.769	0	0	0	0	1	0.286	-0.391	2.082	0.020	1.705	0.286	1.335
2	885	0.769	0	0	0	1	1	0.286	-0.391	2.082	0.020	1.705	0.286	1.335
3	885	0.769	1	0	0	1	1	0.286	-0.391	2.082	0.020	1.705	0.286	1.335
4	885	0.769	1	0	1	1	1	0.286	-0.391	2.082	0.020	1.705	0.286	1.335
1	894	0.151	0	0	1	1	1	2.782	-0.511	-0.149	-0.053	0.297	0.286	1.335
2	894	0.151	0	0	1	1	1	2.782	-0.511	-0.149	-0.053	0.297	0.286	1.335
3	894	0.151	0	0	1	1	1	2.782	-0.511	-0.149	-0.053	0.297	0.286	1.335
4	894	-0.056	0	0	1	1	1	2.937	-0.511	-0.017	-0.343	0.297	0.794	1.335
5	894	-0.056	0	0	1	1	1	2.937	-0.511	-0.017	-0.343	0.297	0.794	1.335
6	894	-0.056	0	0	1	1	1	2.937	-0.511	-0.017	-0.343	0.297	0.794	1.335
7	894	-0.262	0	0	1	1	1	2.782	-0.511	0.534	-0.488	0.297	0.540	1.335
8	894	-0.262	0	0	1	1	1	2.782	-0.511	0.534	-0.488	0.297	0.540	1.335
9	894	-0.262	0	0	1	1	1	2.782	-0.511	0.534	-0.488	0.297	0.540	1.335
10	894	0.151	0	0	1	1	1	2.906	-0.511	0.744	-0.488	-0.642	-0.223	1.335
11	894	0.151	0	0	1	1	1	2.906	-0.511	0.744	-0.488	-0.642	-0.223	1.335
12	894	0.151	0	0	1	1	1	2.906	-0.511	0.744	-0.488	-0.642	-0.223	1.335
13	894	0.151	0	0	1	1	1	3.557	-0.391	0.376	0.455	-0.642	-0.223	1.335
14	894	0.151	0	0	1	1	1	3.557	-0.391	0.376	0.455	-0.642	-0.223	1.335
15	894	0.151	0	0	1	1	1	3.557	-0.391	0.376	0.455	-0.642	-0.223	1.335
16	894	0.013	0	0	1	1	1	3.324	-0.235	0.744	-0.125	-0.642	-0.223	1.335
1	1010	1.388	0	0	1	0	0	0.162	-0.630	2.450	-0.779	2.175	2.827	1.335
2	1010	1.388	0	0	1	0	1	0.162	-0.630	2.450	-0.779	2.175	2.827	1.335
3	1010	1.388	0	0	1	0	1	0.162	-0.630	2.450	-0.779	2.175	2.827	1.335
4	1010	1.388	0	0	1	0	1	0.162	-0.630	2.450	-0.779	2.175	2.827	1.335
5	1010	2.350	0	0	1	0	1	0.206	-0.511	0.875	0.818	0.297	-0.223	1.335
6	1010	2.350	0	0	1	0	1	0.206	-0.511	0.875	0.818	0.297	-0.223	1.335
7	1010	2.350	0	0	1	0	1	0.206	-0.511	0.875	0.818	0.297	-0.223	1.335
8	1010	2.350	0	0	1	0	1	0.206	-0.511	0.875	0.818	0.297	-0.223	1.335
9	1010	2.350	0	0	1	0	1	0.078	-0.750	1.636	-0.053	-0.642	0.286	1.335

The Problem.

- Predicting comorbidities at the earliest from time-series data is challenging.
- Each patient has a dynamic and unique profile.
- Comorbidities interact.
- Many unmeasured effects.



The solution, Personalising Medicine

Know what
to look for



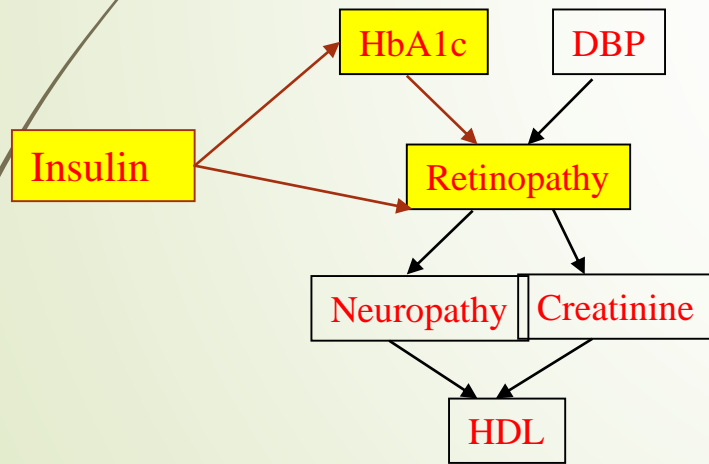
Hidden Variable discovery approach

- Finding methods to assess the influences of these latent variables,
 - Discover the dependencies between the latent variable and the observed variables.
 - Discover Diabetic trigger and eliminate diabetes forever!
 - Determining the precise position of the latent variable
-
- Our key contribution is the combination of the IC* algorithm to identify latent variables within Dynamic Bayesian Networks.

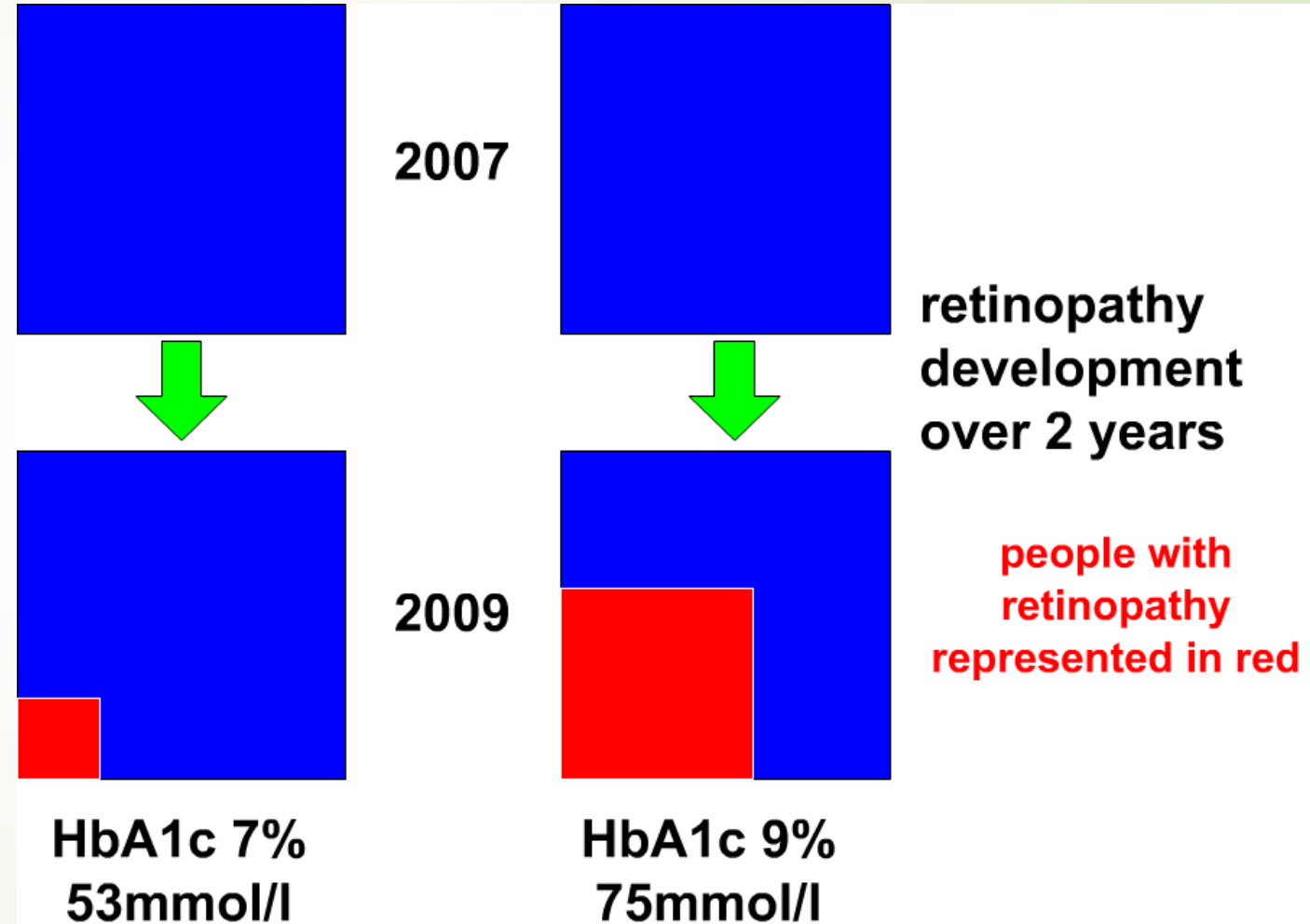
An example

Our hypothesis is:

"If Glycated Hemoglobin (HbA1c) is less than about (7%), then retinopathy may never develop, or develop very slowly."

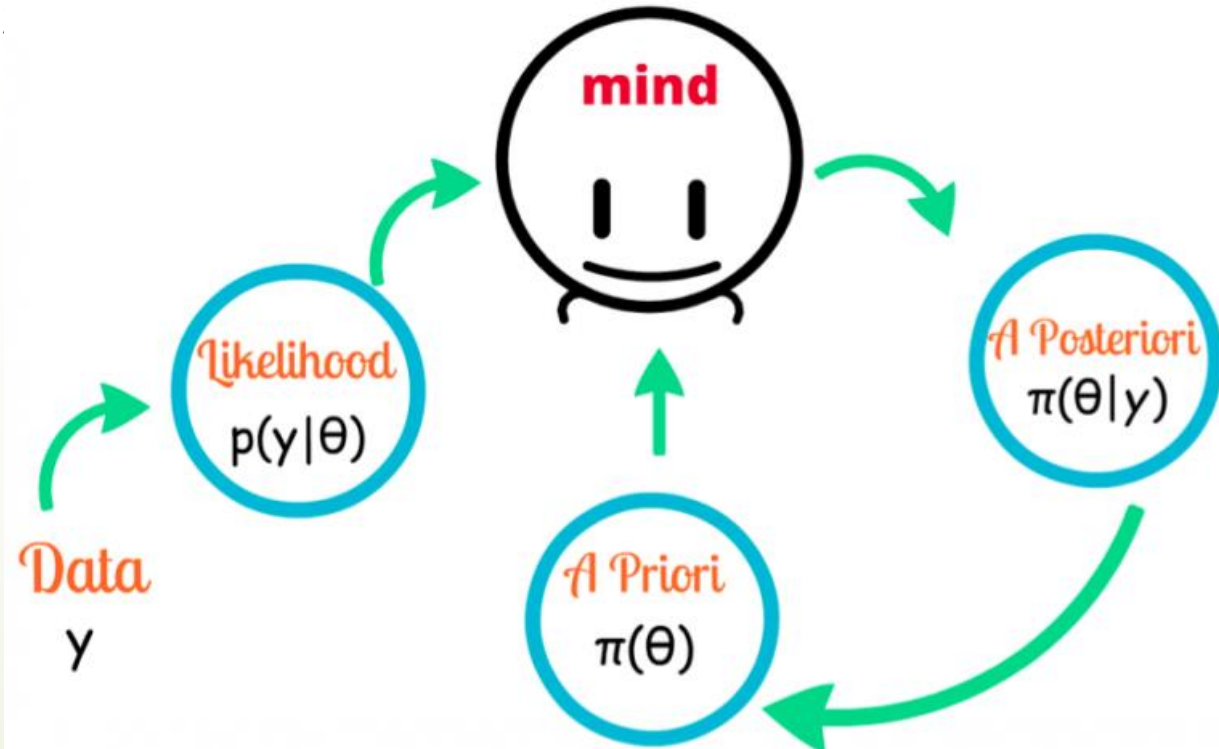


Our observations....



Dynamic Bayesian Networks

- Ideal for clinical data:
 - Flexibility in continuous and discrete variable;
 - Handling uncertainty through the modelling of probability distributions;
 - Enables prediction through inference;
 - No limit for minimum sample size;
 - Transparent (querying the model, graphical structure.
 - It can naturally facilitate latent variables ...

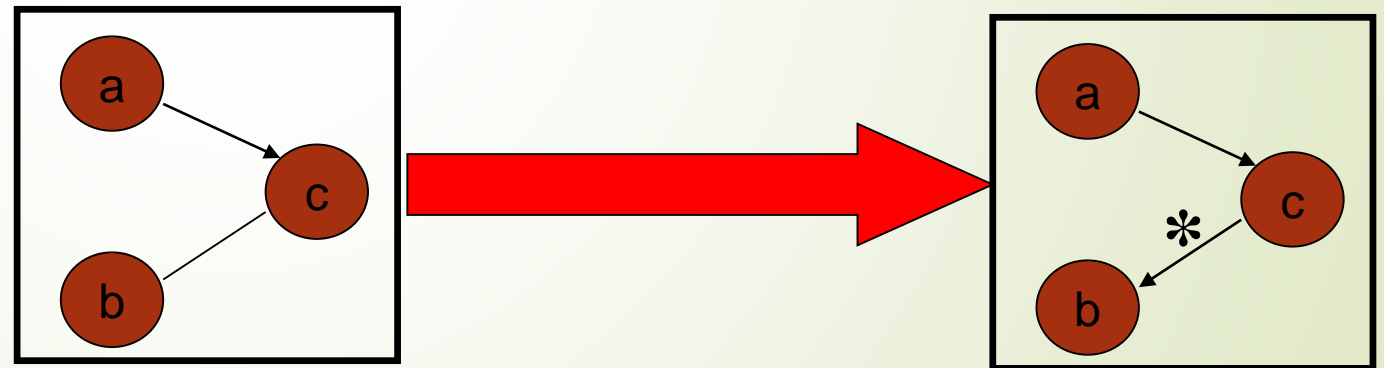


IC (Inductive Causation) algorithm

- It Applies conditional independence analyses to infer causal structures;
- IC* algorithm (an extension of IC) learns a partially oriented Directed Acyclic graph (pattern) with latent variables.

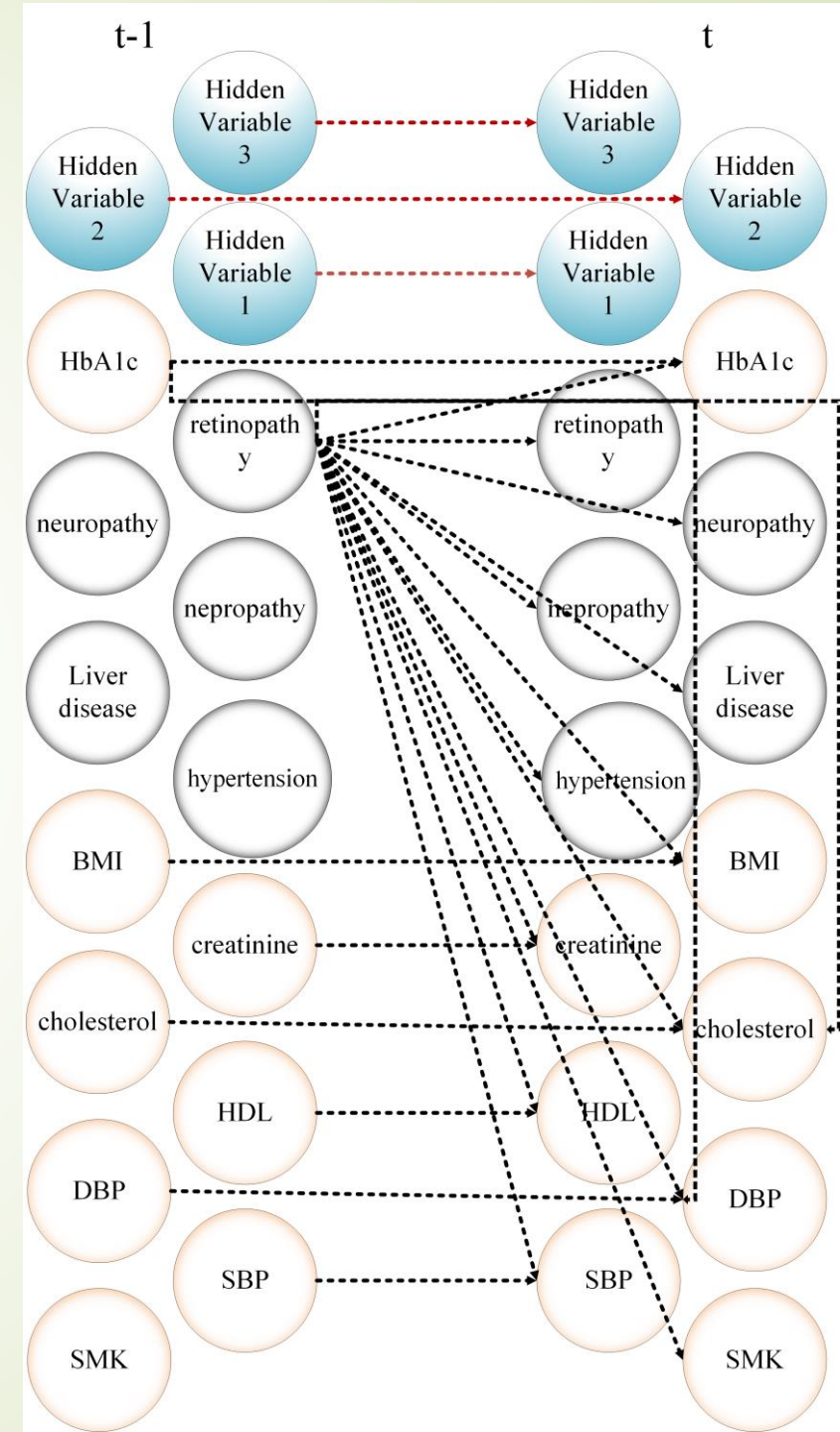
**Whenever
a then b
but not
vice versa**

**Possibly
a => b**



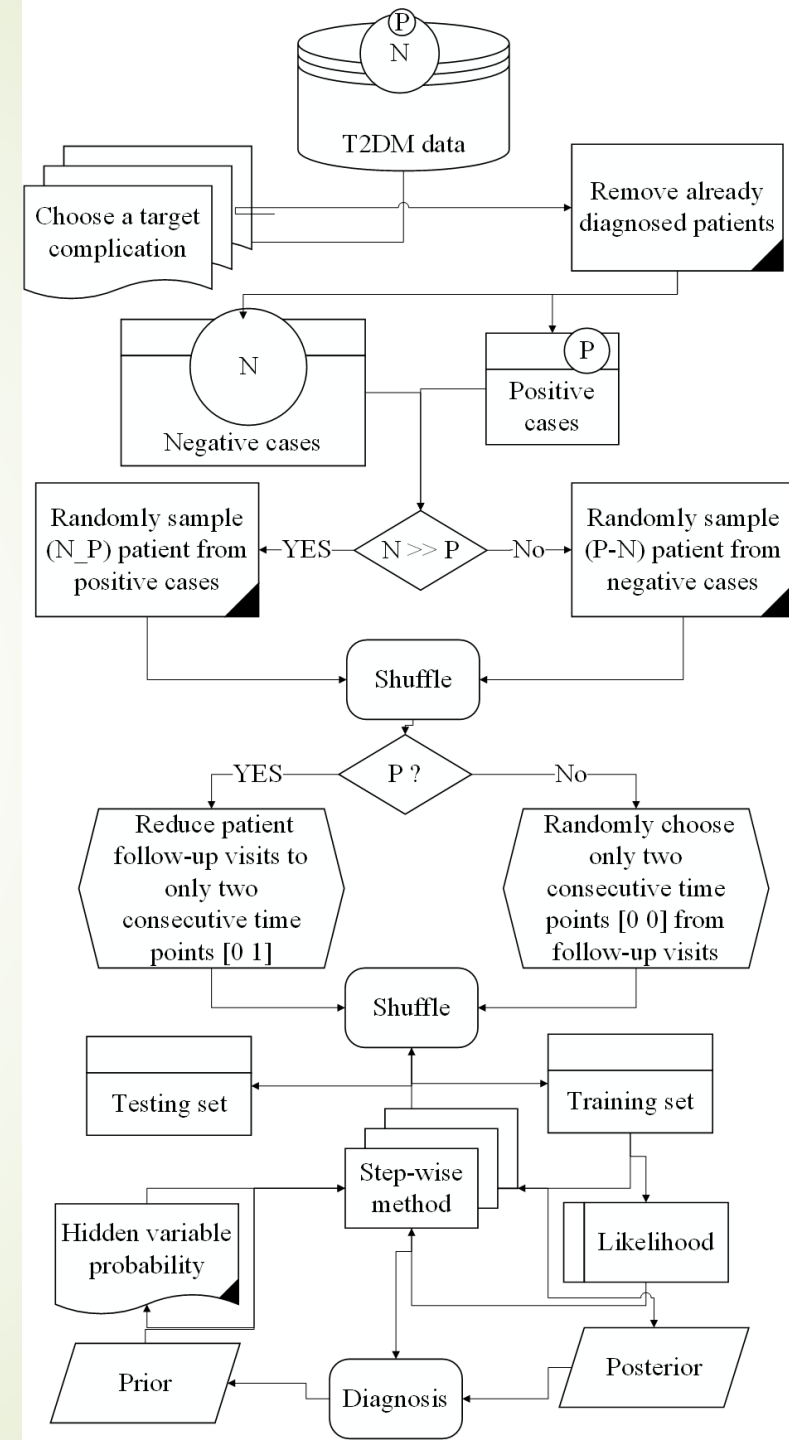
Dynamic links

- Learning the temporal links of our DBNs, Using REVerse Engineering ALgorithm (REVEAL) (Liang1998)
- We assumed hidden variable status at time t depends on the corresponding hidden variable at a previous time ($t-1$).

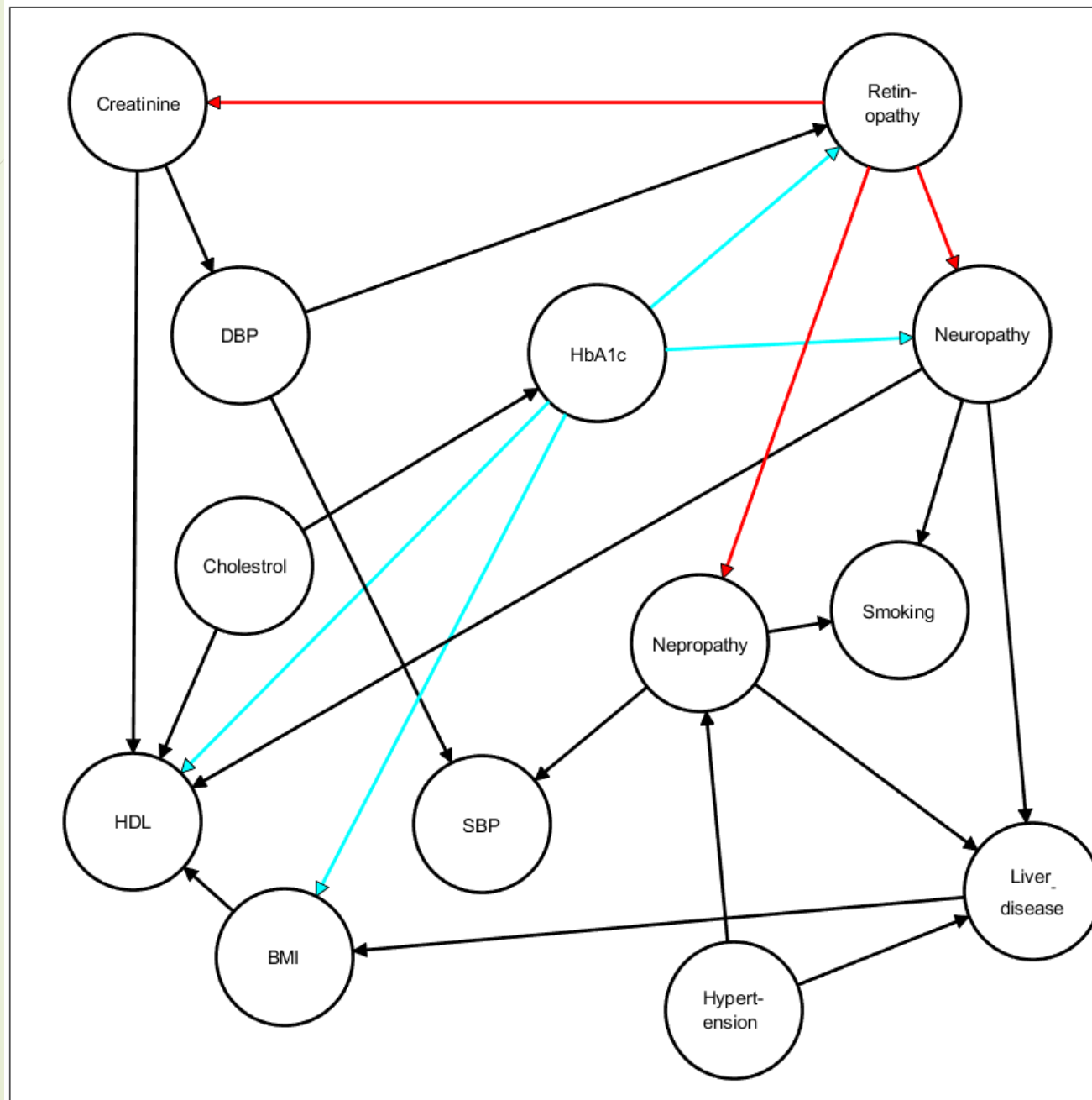


Pair sampling and Stepwise approach procedure

- Apply IC* algorithm on the balanced data.
- Provide probabilities of states by applying inference rules on all discovered hidden variables.
- Treat the discovered hidden variables as an observed variables.
- Re-apply the IC* and repeat all Steps until no new hidden variables are discovered.
- Having discovered the hidden variables, we build a predictive DBN model.
- Parameter estimation using the expectation-maximization (EM) algorithm.

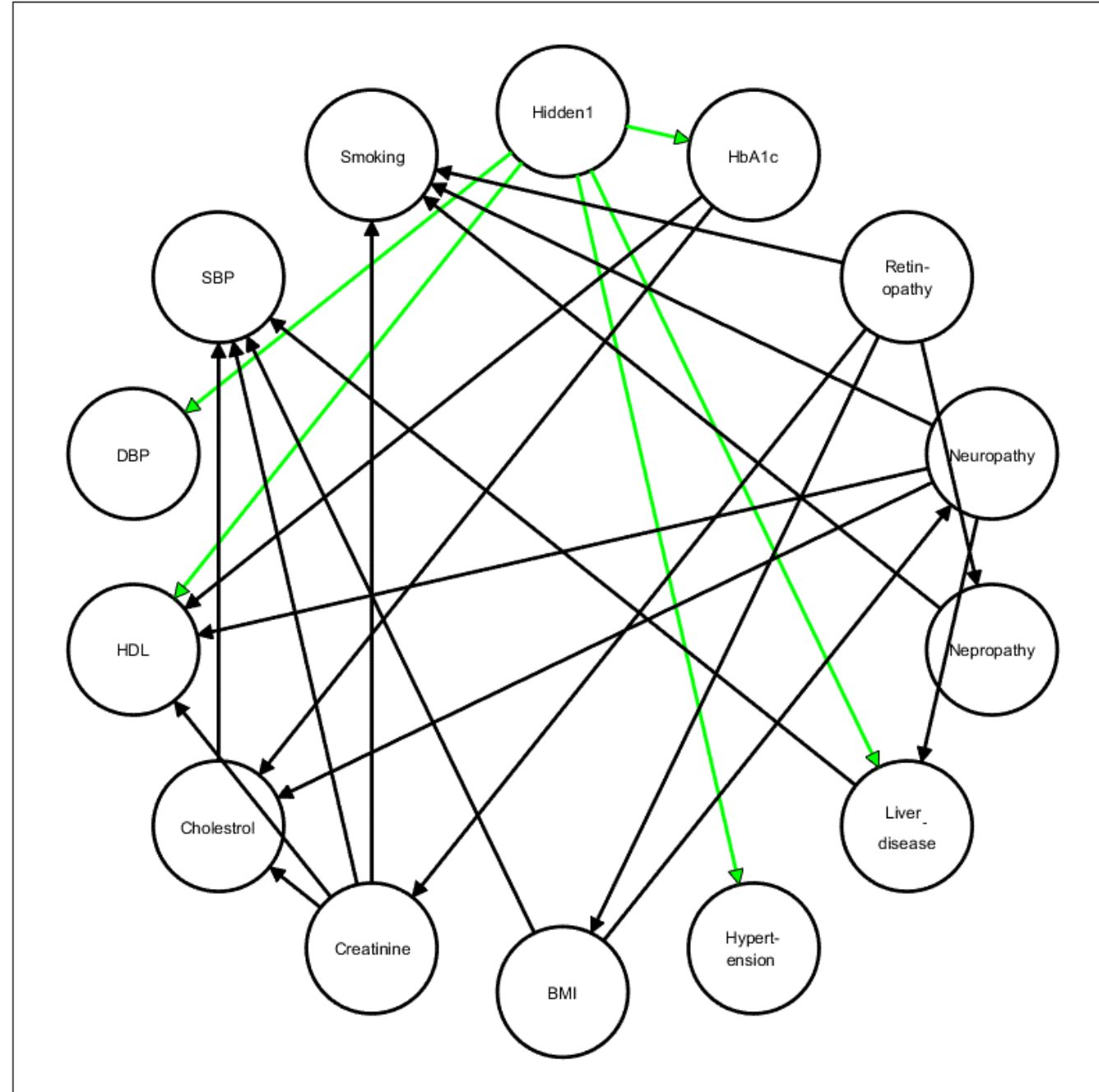


Static structure with no hidden variable



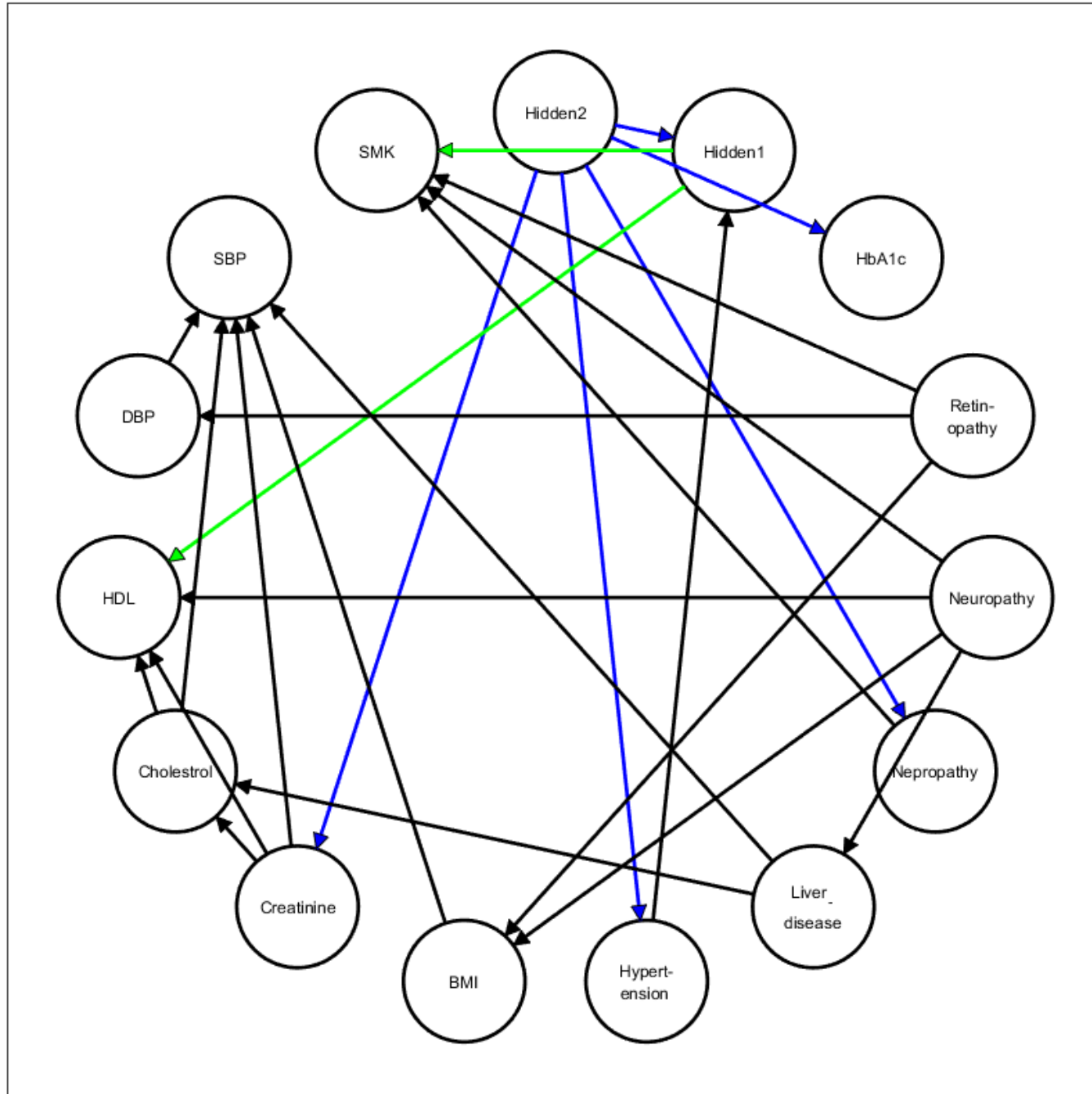
Step 1

Static structure with the first hidden variable



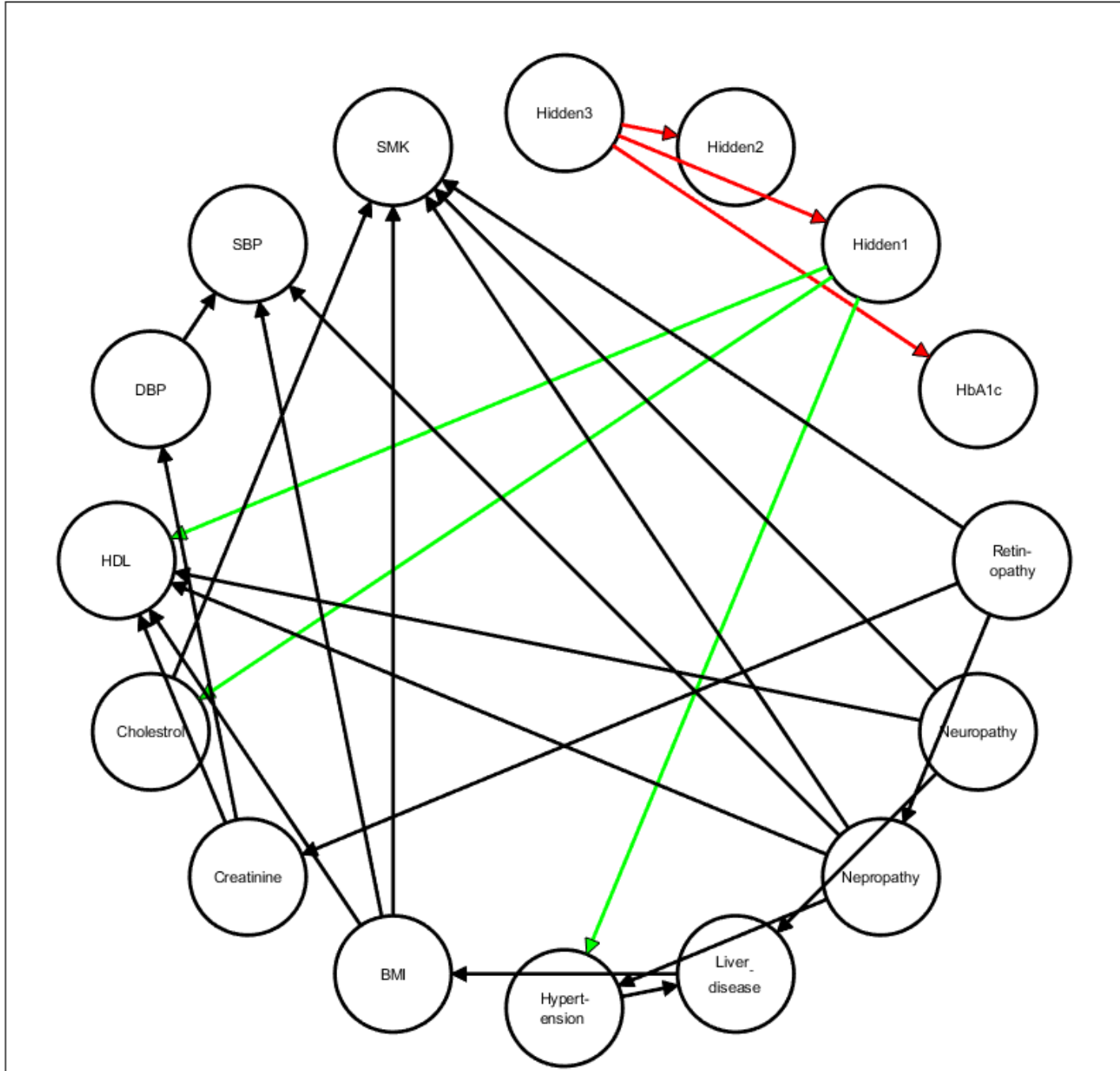
Step 2

Static structure with the second hidden variable



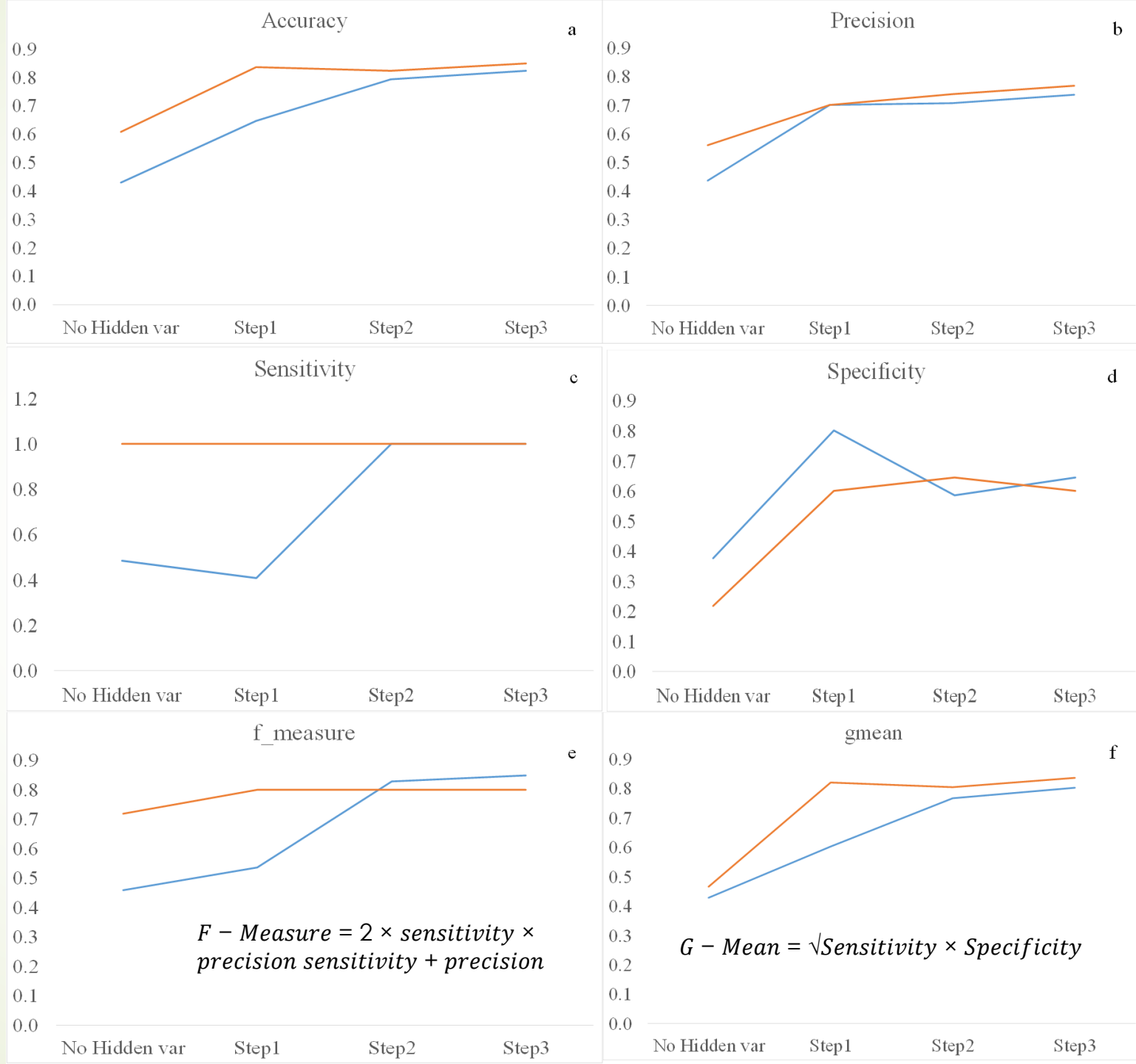
Step 3

Static structure with the third hidden variable



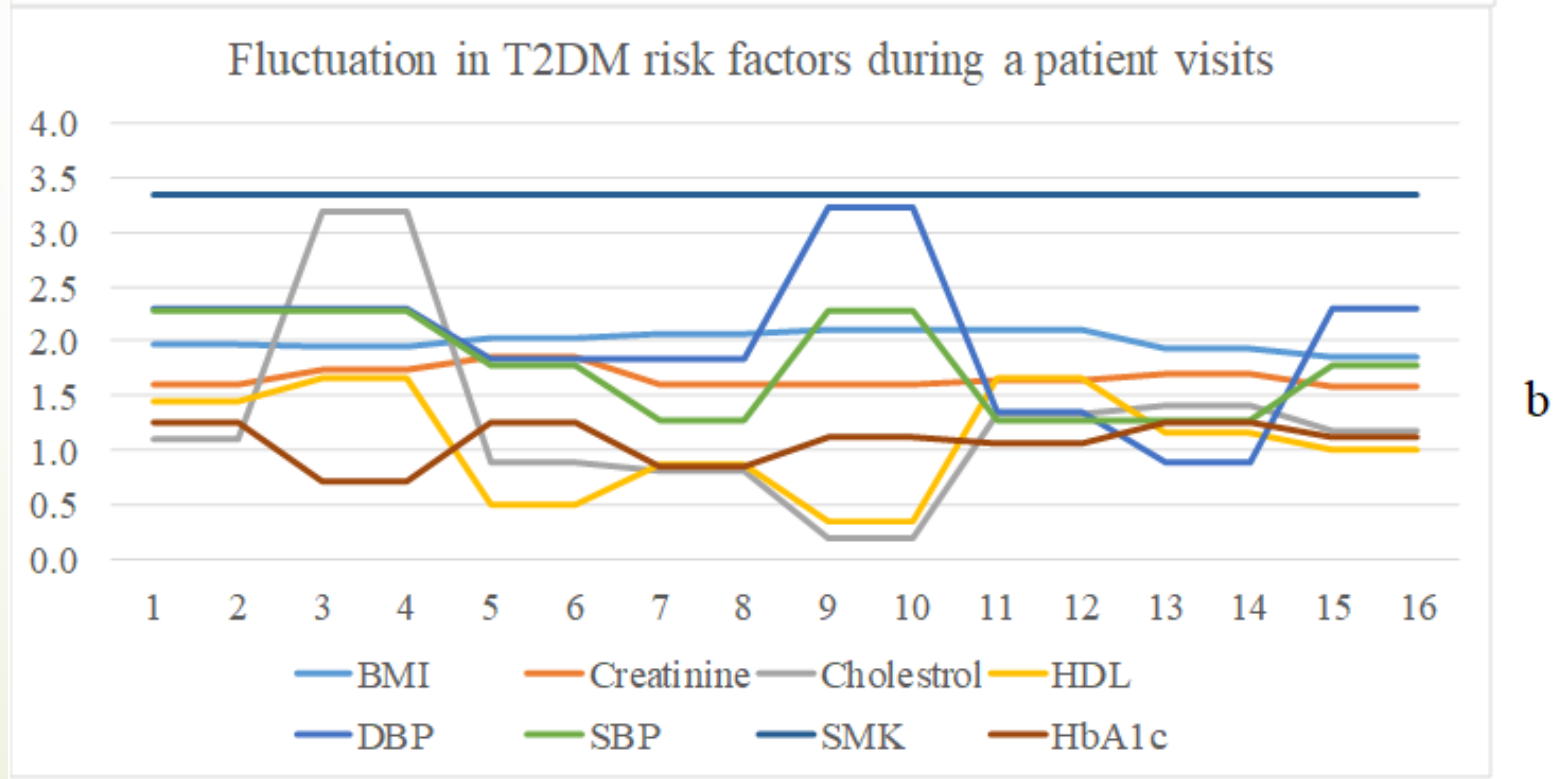
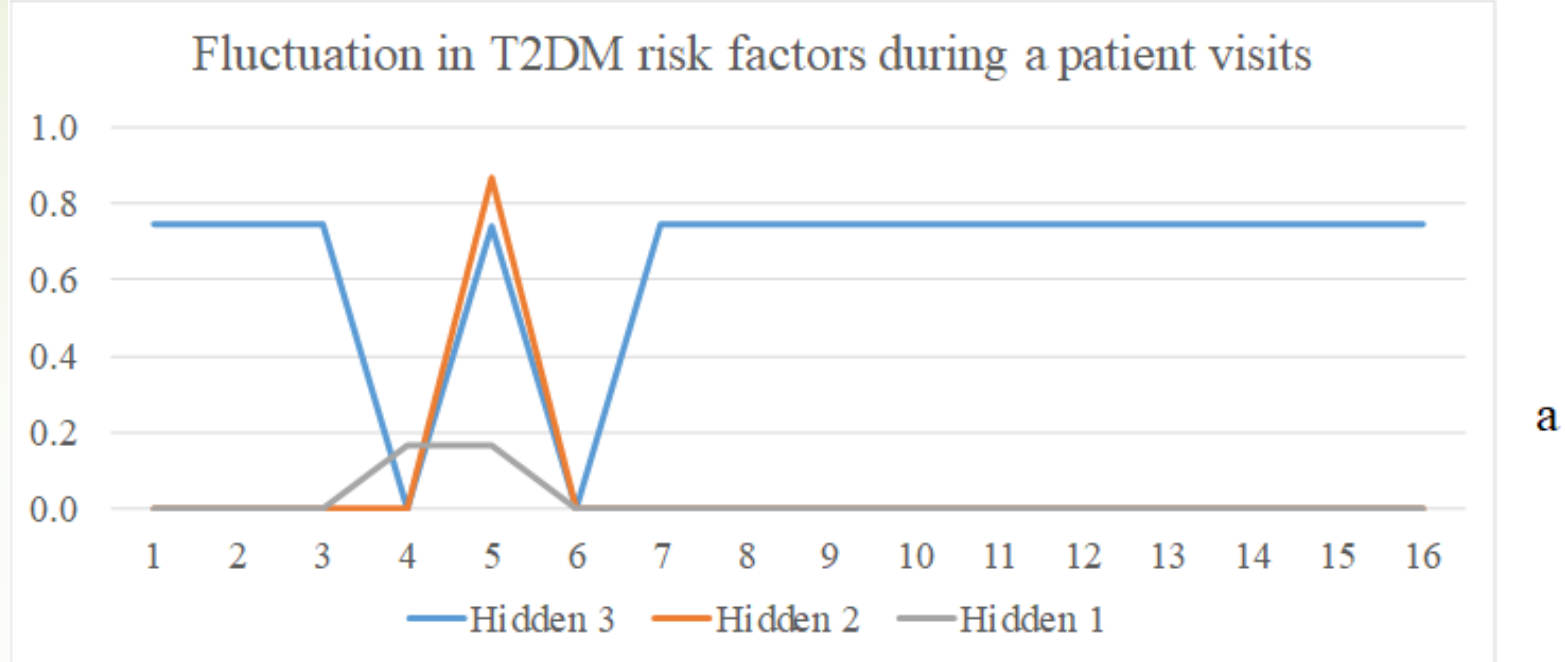
Confusion Matrix Results

The step-wise approach with a generally improving classification accuracy of diagnosing targeted complications as a number of hidden variables are added (the blue line represent retinopathy and the red line represents liver disease).



Hidden variable fluctuation

Predicted Latent Variable Pattern
VS
T2DM Complication and Features



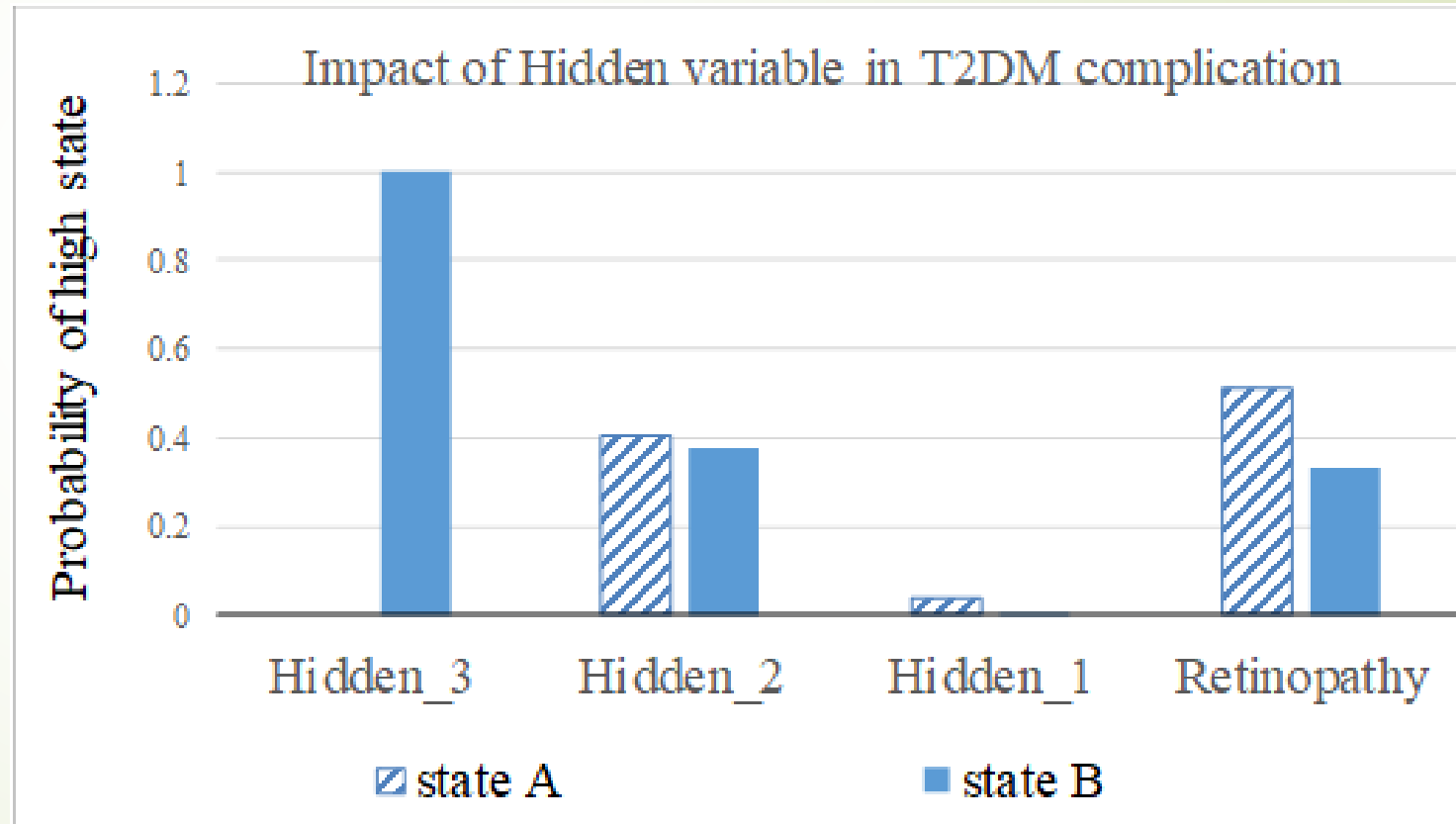
Inference: Query Rules

➤ QR =

P (complication='being at risk of retinopathy' | Evidence)

➤ Evidence =

{risk of having retinopathy is reduced =
'high level of hidden variable 3,
lower level of hidden variable 2,
and very low level of hidden variable 1}



The variations in the latent variable are affected by various comorbidities.



Conclusion and Future Works

- Effectively integrates Bayesian methods with latent variables by adapting the prior probability of the event occurrence for future time points;
- The proposed method is more accurate than using one of hidden variable step or no hidden variables at all;
- Avoiding overfitting in the structure learning, using a stronger stopping rule in the step-wise approach;
- Exploiting mutual information metrics (Ebert,2007) to filter some of the hidden variable relationships;
- Discovering interesting dependencies between the latent variable and the observed variables;
- Interpreting the impact of hidden (latent) variables in finding temporal phenotypes in the presence of unmeasured diabetic disorders;
- Concentrating on the continuous investigation of features;
- Exploring Deep Learning methods;

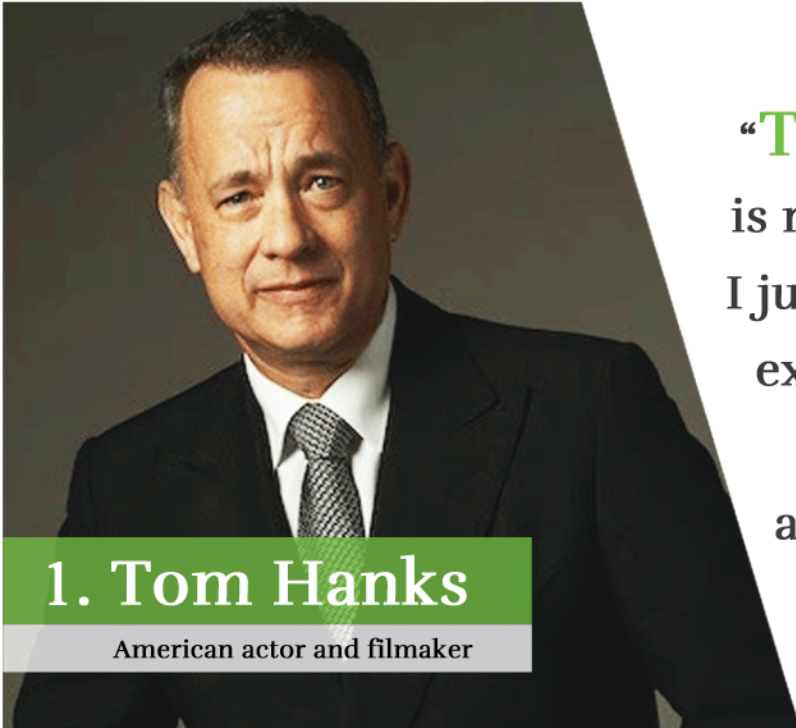


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Thank you for listening!

Any Question?



1. Tom Hanks

American actor and filmmaker

“**Type 2 diabetes** is not going to kill me. I just have to eat right, exercise, lose weight, watch what I eat, and I will be fine for the rest of my life.”